## NMU Math \& CS Department

## Problem of the Month, December 2022

Define an operation $a \uparrow b$ for positive integers $a, b$ where:

$$
a \uparrow b=a^{a} \cdot \cdot^{a} \quad \text { (iterated exponentiation } b \text { times). }
$$

For example $2 \uparrow 4=2^{2^{2^{2}}}=2^{2^{4}}=2^{16}=65,536$.

Suppose that the current time on an analog clock is $3: 47 \mathrm{pm}$, i.e. the minutehand is pointing at minute 47 .

Assuming the clock can run forever, at which minute will the minute-hand point at in $7 \uparrow(6 \uparrow 5)$ minutes?

