# 3-7 HW

### 20 questions

Course Info Instructor Name

# Question 1 of 20

Compute the derivative of the function *y* using derivative rules.

 $y = \left(9x^4 + 5\right)^3$ 

(Express numbers in exact form. Use symbolic notation and fractions where needed.)

 $\frac{dy}{dx} =$ 

Student Name

### Question 2 of 20

Use the Chain Rule to find the derivative.

 $y = e^{1-3t^8}$ 

(Use symbolic notation and fractions where needed.)

y' =

# Question 3 of 20

Use the General Power Rule, Exponential Rule, or the Chain Rule to compute the derivative.

 $y = e^{20x-17}$ 

(Use symbolic notation and fractions where needed.)

 $\frac{d}{dx}e^{20x-17} =$ 

Question 4 of 20

Use the General Power Rule to compute the derivative.

 $y = (x^2 + 23)^{-2}$ 

(Use symbolic notation and fractions where needed.)



# Question 5 of 20

Use the General Power Rule to compute the derivative.

 $y = (4 - 9x - 10x^2)^5$ 

(Use symbolic notation and fractions where needed.)

dy	_
dx	_

Question 6 of 20

Compute the derivative using derivative rules.

 $y = (x^5 + 8)^9$ 

(Express numbers in exact form. Use symbolic notation and fractions where needed.)

 $\frac{dy}{dx} =$ 

Question 7 of 20

Calculate the following derivative. (Use symbolic notation and fractions where needed.)

 $\frac{d}{dx}(9e^{-x} + 9e^{-3x}) =$ 

Question 8 of 20

Calculate the following derivative. (Use symbolic notation and fractions where needed.)

 $\frac{d}{dx}(13e^{8x} + 12e^{-4x})^9 =$ 

### Question 9 of 20

Use the General Power Rule to find the derivative of  $y = \sqrt{4x - 5}$ .

(Use symbolic notation and fractions where needed.)

### Question 10 of 20

Compute the derivative.

 $y = \cos\left(te^{-4t}\right)$ 

(Express numbers in exact form. Use symbolic notation and fractions where needed.)

y' =

Question 11 of 20

Compute the derivative.

 $y = \sqrt{\frac{z+2}{z-2}}$ 

y' =

(Express numbers in exact form. Use symbolic notation and fractions where needed.)

Question 12 of 20

Find the derivative of *y* using the appropriate rule or combination of rules.

 $y = \left(x^3 + \cos\left(x\right)\right)^{-5}$ 

(Express numbers in exact form. Use symbolic notation and fractions where needed.)

 $\frac{dy}{dx} =$ 

### Question 13 of 20

Use the Chain Rule to find the derivative.

 $y = \cos^9 (e^{4\theta})$ 

(Express numbers in exact form. Use symbolic notation and fractions where needed.)

 $\frac{dy}{d\theta} =$ 

### Question 14 of 20

Compute the derivative of the function y using derivative rules.

 $y = \sqrt{9 + 2x + \sin(x)}$ 

(Express numbers in exact form. Use symbolic notation and fractions where needed.)

 $\frac{dy}{dx} =$ 

#### Question 15 of 20

Use the General Power Rule, Exponential Rule, or the Chain Rule to compute the derivative.

 $y = \cos^6\left(\theta + 19\right)$ 

(Use symbolic notation and fractions where needed.)

 $\frac{dy}{d\theta} =$ 

### Question 16 of 20

Calculate the following derivative. (Use symbolic notation and fractions where needed.)

 $\frac{d}{dx}\left(\cot^9\left(x^{11}\right)\right) =$ 

# Question 17 of 20

Calculate the following derivative.

(Use symbolic notation and fractions where needed.)

 $\frac{d}{dx}\left(\tan^{7}(x) + \tan\left(x^{8}\right)\right) =$ 

# Question 18 of 20

Calculate the derivative. (Use symbolic notation and fractions where needed.)

 $\frac{d^3}{dx^3}(8-3x)^6 =$ 

# Question 19 of 20

Calculate the derivative. (Use symbolic notation and fractions where needed.)

 $\frac{d^3}{dx^3} 4\sin\left(4x\right) =$ 

# Question 20 of 20

Calculate the derivative. (Use symbolic notation and fractions where needed.)

 $\frac{d^2}{dx^2}(x^2+10)^4 =$