Journey Through Genius - Chapter 1 - Reading Check

1. How do we know the Babylonians were aware of some version of the Pythagorean Theorem?

The Plimption-322, p. 5

1. Roughly how old is the Plimpton-322 tablet?

1800 BC

1. Consider Thales, Pythagoras and Hippocrates. Where and when did they live?

Thales (600 BC - Miletus - Asia Minor) Pythagoras (572 BC - Samos / Asia Minor / Eastern Greece) Hippocrates (440 BC - Chio - Asia Minor)

1. Order the following sets of numbers: Real, constructible, transcendental, algebraic.

constructible < algebraic < trascendental < real

1. How many lunes are quadrable?

5

1. What great ancient civilization used a base 60 number system?

## Bablyonians

1. What is our first great theorem and to whom do we attribute the proof?

Hippocrates of Chios - His lune, on a square inscribed inside a circle is quadrable.

1. To what ancient civilization do we celebrate for the way they used the simple and elementary as a foundation for the complex and intricate?

## Greek

1. Why do you think the Greeks regarded quadrature so highly?

It represented the triumph of reason and reflected the inherent simplicity in nature.

1. Give a rough argument that the circle cannot be squared.

The number is not algebraic, therefore it cannot be constructible. If the circle could be squared, then we could construct a square with area pi, and thus an edge of length sqrt(pi), implying that pi is constructible.

## **Chapter 2**

- ▼1. What is our 2nd great theorem? Give a description in words and pictures of the proof.
  - **a.** Euclid's proof of the Pythagorean Theorem.
  - 2. Does the Pythagorean Theorem depend on Euclid's Parallel Postulate, i.e., is it true in non-Euclidean Geometry?
- ▼3. Is the Euclidean parallel postulate (number 5) assumed in the proof that the sum of the interior angles of a triangle equals two right angles? What does this suggest?
  - $a_{\hbox{\scriptsize \i}}$  Yes. In an alternate geometry without this assumption, interior angles don't have to sum to
- ▼4. Who proved that Euclid's postulate five (the parallel postulate) cannot be proved from postulates I-IV?
  - **a.** Bolyai, Riemann, Lobachevski, Gauss, independently did work It was Beltrami who prove consistency.
- ▼5. State a theorem that is true in non-Euclidean geometry that is not true in Euclidean geometry.
  - a. AAA triangle congruence