set x = dist(woman, light pole), so $\frac{dx}{dt} = 5$ H/sec $\frac{20}{6} = \frac{x+5}{5}$

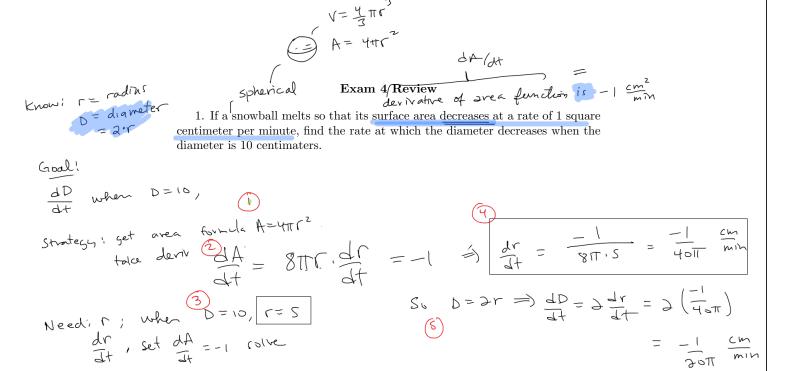
S= shadow length

tip of shadow mover @ $\frac{dx}{dt} + \frac{ds}{dt}$ Goal! $\frac{dx}{dt} + \frac{ds}{dt} = 5 + \frac{ds}{dt} = 5 + \frac{30}{14} \approx 7^{\frac{6}{14}}$ S= $\frac{b}{14} \times \frac{c}{14}$ S= $\frac{b}{14} \times \frac{c}{14}$ S= $\frac{b}{14} \times \frac{c}{14}$ ds = 6 dx = 30

* 7						
	pe architect wished to enclose a rectang ne area of the garden is 8 square feet, fi	gular garden on one and the dimensions of	side by a brick wall cost	ting \$30/ft and on the oth	ner three sides by a metal fendant	ce costing
· ·	side with bricks $x =$	(×,)	y = height (2	3) create	cost function	
Length of	adjacent side $y=% {\displaystyle\int\limits_{-\infty}^{\infty}} \left({\displaystyle\int\limits_{-\infty}^$	lens	C + - B	nck 1	metal + prize + amo	ount
() visual	metal X				26 /ft. (au	
metal y	Area = ×y	metzl Y		30x +20		\$
	BRICK X	-	SINCE	8 = Xy	, y= x	
4 Minimi	ze Cost (⇒) take (solve	devior)			$\left(\frac{16}{\times} + \times\right)$	マ つ
c'(X) =	$50 - \frac{320}{x^2} = 0$		C(x) =	30X + 33	+30 × =	50X+ 7

$$50 = 320$$
 =) $5x^2 = 32$ $\times = \sqrt{32} \approx 3.53 \text{ H}$

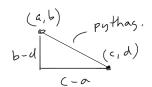
Find
$$y = \frac{8}{2.53} = 3.16$$
 ft



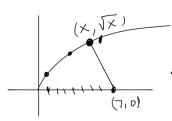
2. Two sides of a triangle are 4 m and 5 m in length and the angle between them is increasing at a rate of 0.06 radians per second. Find the rate at which the area of the triangle is increasing when the angle between the sides of fixed length is $\pi/3$.

Find the point P on the graph of the function $y = \sqrt{x}$ closest to the point (7,0)The x coordinate of P is:

Find distance function & minimize it (tala derivative, set = 0)



b-d
$$(a,b)$$
pythas.
$$d = \sqrt{(a-c)^2 + (b-d)^2}$$



$$d = \sqrt{(x-7)^3 + (\sqrt{x}-6)^3} = \sqrt{(x-7)^3 + x}$$

$$= \sqrt{(x-7)^3 + (\sqrt{x}-6)^3} = \sqrt{(x-7)^3 + x}$$

$$= \sqrt{(x-7)^3 + x}$$

$$\frac{dD}{dx} = 2(x-7)+1 = 3x-13 = 0$$